

Financial conditions and the macroeconomy: A two-factor view

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- A summary of the evolution of financing conditions at the broad economy level
 - Relevant as an intermediate step in the transmission of monetary policy
- Weighted averages of key financial variables spanning across different financial markets
 - e.g. GS-FCI: five variables (nominal short-term rate, nominal long-term rate, corporate spread, equity prices, exchange rate) weighted based on their impact on GDP growth
- Challenge of using off-the-shelf indices:
 - We don't know what drives their dynamics
 - Especially problematic when components pull in different directions

A taxonomy of existing indices

1. Depending on variable composition:

- Financial conditions indices (FCI):
 - e.g. GSFCI, Fed's FCI-G, Chicago Fed, St. Louis Fed
- Financial stress indices (FSI):
 - e.g. Bloomberg, Kansas City Fed, CISS, ADB FSIs

2. Depending on weighting methodology and interpretation:

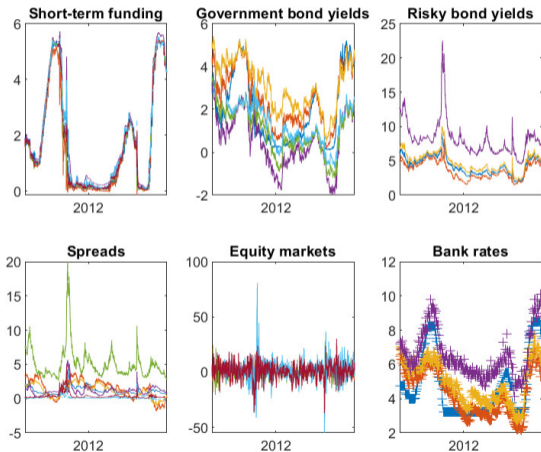
- Weights based on the impact on GDP growth
 - e.g. GSFCI, Fed's FCI-G
- Statistical weights
 - e.g. Chicago Fed National FCI, Bloomberg, CISS

Summary of our research (so far)

- We construct a new data-driven index based on a dynamic factor model (DFM)
 - Address the black-box issue with common FCIs
 - Enables us to assess how different “ingredients” contribute to the factors
 - Factor loadings enable us to associate each factor to different facets of “financial conditions”
 - The level of yields
 - Risk attitudes and perceptions
 - Factors can be combined using different weighing schemes to form a comprehensive index
 - Different target variables lead to different weights
 - The risk-factor has a stronger bearing on measures of credit and economic activity...
 - ...especially for tail events
- ⇒ We plug factors into the SVAR model by Gilchrist and Zakrajsek (2012) to assess their role in the transmission of risk shocks
- ⇒ And run a local projections exercise to assess the transmission of monetary policy shocks through the factors

Constructing an FCI

The “ingredients” of our FCI for the US...



1. Short-term funding:
FFR, 3m T-bills, CP/CD rates
2. Safe yields:
Yield curve, 1y-10y
3. Risky yields: Corporate bond yields (AAA, BBB, IG, HY)
4. Spreads: Slope of the yield curve, spreads on risky bonds
5. Equities: Returns, market cap, dividend yields
6. Bank rates: Mortgages, consumer and commercial credit

The dynamic factor model

- Let $X_{1:T}$ be a N -dimensional multiple time series with T observations; its factor representation is

$$X_t = \Lambda F_t + e_t, e_t \sim N(0, R)$$

where F_t is a matrix of r factors and Λ is the matrix of factor loadings

- The common factors follow an AR process of order p :

$$F_t = \sum_{i=1}^p A_i F_{t-i} + u_t, u_t \sim N(0, Q)$$

- Unobserved factors are reconstructed through Kalman filter, and estimated via ML
- X_t may have missing elements (also due to mixed frequencies) \Rightarrow EM algorithm (Banbura and Modugno 2014)

Factor loadings

Two factors explain about 60% of total variance

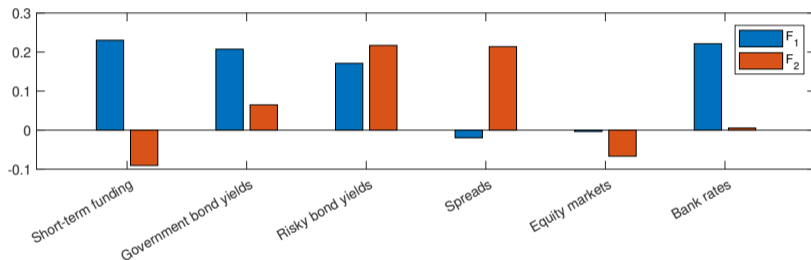
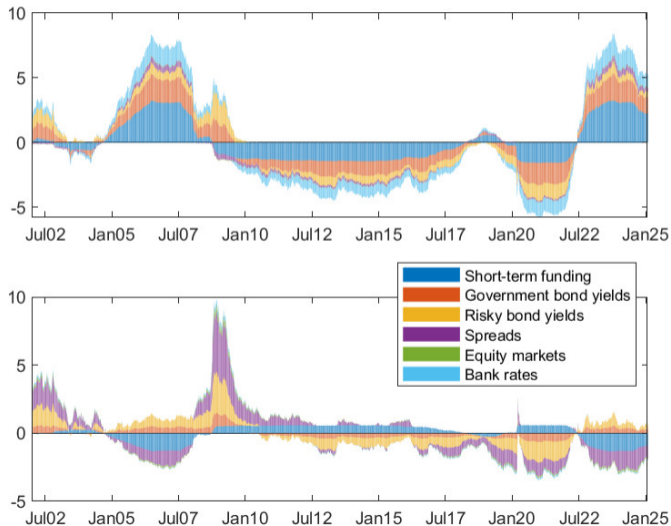


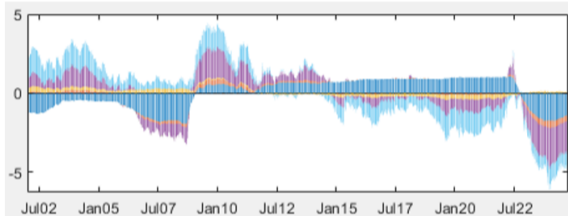
Figure 1: Average factor loadings for each bloc

The two factors (and their contributors)

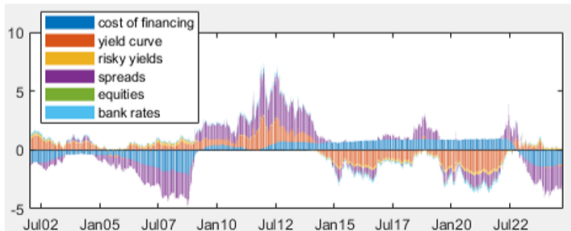


The factors in the euro area

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- Substantial heterogeneity in F_2
- Reflecting market segmentation...
- ...especially during the euro area crisis

The factors and the macroeconomy

To assess the additional predictive power of the factors over a benchmark $AR(p)$ model, we run the predictive regressions:

$$\Delta^h Y_{t+h} = \alpha + \sum_{i=1}^p \beta_i \Delta Y_{t-i} + \gamma_i FC_t(i) + \epsilon_{t+h},$$

The partial R^2 of the factors can be used as weight to construct a composite index

Regression results

Financial indicator	Horizon: one quarter		Horizon: one year	
<i>A. Credit growth</i>				
F1	-0.08 [-1.39]	—	-0.11 [-1.47]	—
F2	—	-0.23** [-2.23]	—	-0.24** [-2.26]
Partial R^2	0.03	0.13	0.04	0.12
<i>B. Investment growth</i>				
F1	-0.17 [-0.96]	—	-0.30 [-1.53]	—
F2	—	-0.95** [-2.23]	—	-0.74** [-2.17]
Partial R^2	0.01	0.18	0.04	0.14
<i>C. Real GDP growth</i>				
F1	-0.8 [-0.9]	—	-0.12** [-2.02]	—
F2	—	-0.46*** [-3.30]	—	-0.20** [-2.01]
Partial R^2	0.01	0.16	0.06	0.10

Table 1: The Predictive Power of Financial Conditions for Economic Activity

Asymmetry in the predictive distributions

We run quantile regressions à la Adrain, Boyarchenko and Giannone (2019) of GDP growth, its lag and the factors

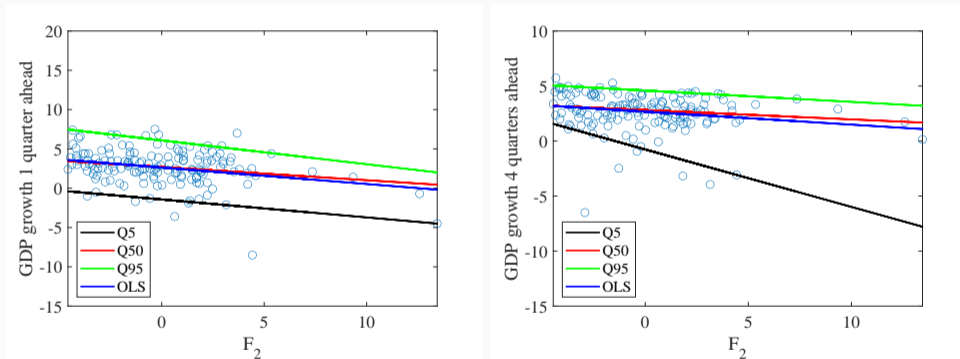


Figure 3: F_2 has strong effects on the left tail

Asymmetry in the predictive distributions

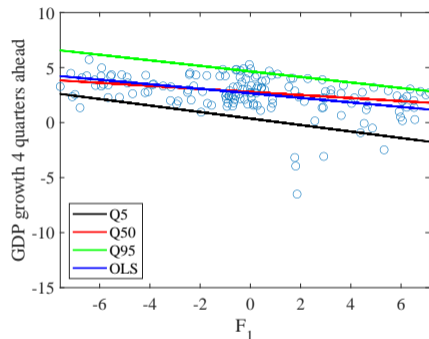
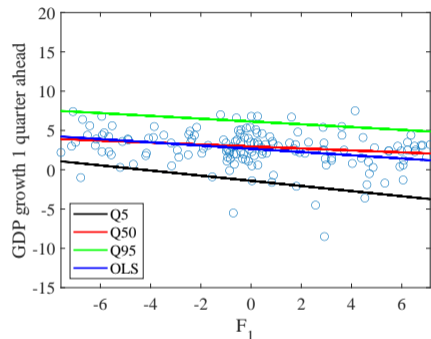
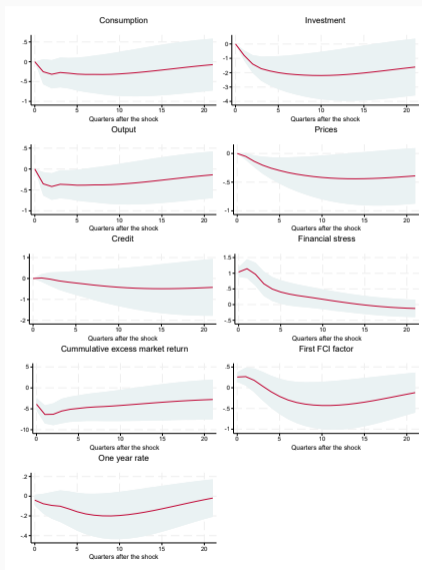


Figure 4: F_1 has milder effects on both tails

The transmission of risk shocks

- We build on the structural SVAR by Gilchrist and Zakrajsek (2012), replacing the 10-year yield with F_1 , and the EBP with the F_2
- Hence the VAR contains the following variables (in this order):
 - (i) the log-difference of real PCE;
 - (ii) the log-difference of real business fixed investment;
 - (iii) the log-difference of real GDP;
 - (iv) inflation;
 - (v) the log-difference of real total credit to the private nonfinancial sector;
 - (vi) the quarterly average of F_2 ;
 - (vii) the quarterly excess stock market return;
 - (viii) the quarterly average of F_1 ;
 - (ix) the quarterly average of the one-year-treasury yield.
- The identifying assumption is that shocks to F_2 affect economic activity and inflation with a lag, while government bond yields and stock prices can react contemporaneously

Responses to a risk shock



Monetary policy transmission through the factors

What does monetary policy do to factors?

- We estimate the dynamic responses of each factor to monetary policy surprises using a local projection approach
- For each forecast horizon $h = 0, \dots, H - 1$ we run a separate regression of factors F_1 and F_2 on a high-frequency identified monetary policy shock (mps_t), and control variables \mathbf{x}_t :

$$F_{t+h} = \alpha_h + \beta_h \cdot mps_t + \mathbf{A}_h \cdot \mathbf{x}_t + e_{t+h},$$

- The matrix \mathbf{x}_t includes lags of the dependent variable, contemporaneous and lagged values of the log-transformed CPI, of the unemployment rate, of the log-transformed industrial production, and of the Commodity Price Index
- “Pure” monetary policy surprises à la Jarocinski and Karadi (2020)

Responses of the factors to a monetary policy shock

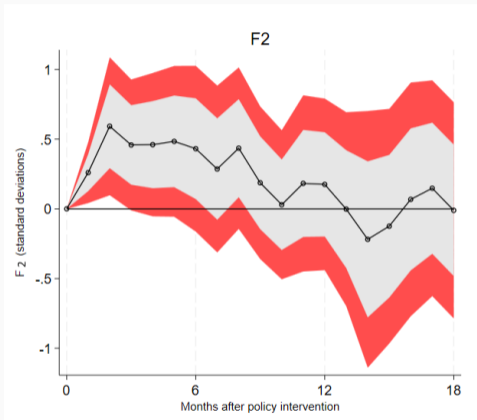
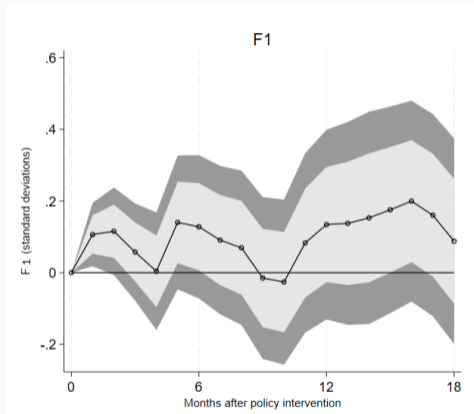


Figure 6: Local projections of the factors on monetary policy shocks à la Jarocinski and Karadi (2020)

Wrapping up

- We look at financial conditions through the lens of a data-rich DFM
- The various facets of financial conditions are captured by different factors
 - The first factor captures the overall level of rates
 - The second factor captures conditions in risky segments (corporate credit, equities)
- The second factor has a stronger bearing on macroeconomic conditions
 - It receives a higher weight if one wants a composite index
 - It has notable asymmetric effects on the left tail
 - It can be used to pin down risk shocks in structural VARs
- Monetary policy has a grip on both factors

Thank you!
